

Problem 1

Bob makes a one-time deposit of \$1,000 in a savings account with an interest rate of 10% per year. Interest is compounded and accrued daily. How many days will it take for the account value to exceed \$1,200?

Problem 2

Consider a set of 100 widgets, of which 25 are defective and 75 are OK. If 5 widgets are selected randomly from this set, what is the probability of obtaining exactly 2 defective widgets?

Problem 3

If Q denotes quantity and P denotes price, demand for a certain monopolist's product is given by Q = 100 - P, while the monopolist's cost is given by 750 + 8Q. What price must the monopolist charge in order to maximize her profit?

Problem 4

Acme Widgets Inc. has two factories, A and B. Factory A contributes 20% of Acme's annual output of widgets, while Factory B contributes 80%. Of the widgets produced by Factory A, roughly 4% are defective and 96% are non-defective. Of the widgets produced by Factory B, only 1% are defective. If a widget is selected at random from the Acme's annual output and is found to be defective, what is the likelihood that it was produced by Factory A?

Problem 5

Suppose the price of a stock increases by 40% in Year 1, by 1% in Year 2 and by 10% in Year 3. What is the constant annual percentage increase that would have effectively produced the same price at the end of three years?

Problem 6

Suppose $Q = R^{-0.8U} S^{0.4V} T^{2.6W}$. Paying special attention to *curvature*, sketch a "rough" graph of:

- *Q* against *R* (for R > 0) when S = T = U = V = W = 1
- *Q* against *S* (for S > 0) when R = T = U = V = W = 1
- Q against T (for T > 0) when R = S = U = V = W = 1
- Q against U when R = 2 and S = T = V = W = 1• Q against V when S = 2 and R = T = U = W = 1
- Q against W when T = 2 and R = S = U = V = 1.

The absolute numerical values are not important. The *shape* and *curvature* is important. Identify each graph as either *concave* or *convex*.